

# **Collaborazioni EUROfusion: ATEP ENR**

M.V. Falessi, G. Vlad, F. Zonca

# What is ATEP?

<b>Title</b>	<i>Advanced Energetic particle transport models (ATEP)</i>
<b>Topic Area</b>	<i>3. MHD, disruptions and fast particle physics</i>
<b>Principal Investigator</b>	<i>Philipp Lauber (PI), Matteo Falessi (co-PI)</i>
<b>Beneficiary</b>	<i>IPP, ENEA</i>
<b>Project duration</b>	<i>3 years</i>

# Man power

Manpower: IPP Garching & Greifswald (intended per year for the whole 3yr. project duration):

Philipp Lauber (PI): 6pm;  
Xin Wang: 6pm;  
Guo Meng: 6pm;  
Alessandro Biancalani: 5pm;  
Markus Weiland.: 3pm;  
Axel Koenies: 3pm;  
Alessandro Zocco: 3pm;

IPP: 32pm/y total

At 0 cost: Alin Popa (4pm), Florian Holderied (4pm), S. Possanner (TUM, 3pm)

Manpower ENEA (intended per year for the whole 3yr. project duration):

Matteo Falessi 10pm (co-PI);  
Fulvio Zonca 3pm;  
Yueyan Li 12pm (post doc);  
Valeria Fusco 4pm;  
Alexander Milovanov 2.4pm;  
Nakia Carlevaro 4pm;  
Gregorio Vlad 3pm;

ENEA: 38.4pm/y total

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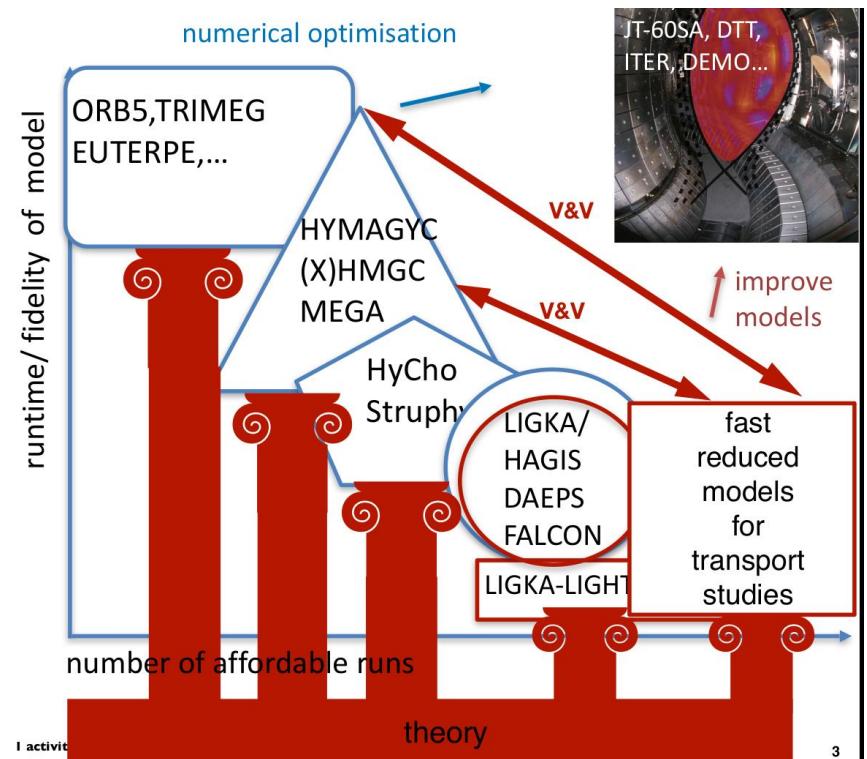
# Objectives

- construction and validation of advanced reduced EP transport models;
- go beyond simple models (QL, kick-model) that, however, can be recovered in the appropriate limits;
- transport models will be embedded into the IMAS framework, relying on the stability information given by local and global GK codes;
- the models can be used and integrated into other transport workflows developed outside this ENR project (e.g. in connection with TSVV#10 deliverables), or for experimental modelling.

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# Scientific Scope

- ATEP follows as a whole a new innovative theoretical framework
- Large analytical component
- The practical implementation(s) of this model relies on recent advances in EP reduced modelling
- V&V with comprehensive codes; investigate statistical properties
- Plan and conduct dedicated experiments for validation in various regimes



# Work Packages

**WP1:**  
**theoretical framework**

**WP 2:**  
**Advancing various building blocks**  
**according to WP1**

**WP3:**  
**Implementation, application and**  
**verification of reduced EP**  
**transport models**

**WP4:**  
**Preparation of time-dependent**  
**reference cases**

# WP1: What is transport?

- Radial transport requires the study of flux surface averaged equations:

$$\langle \partial_t n \rangle_\psi = - \langle \nabla \cdot (n \mathbf{V}) \rangle_\psi ;$$

- finite contributions only from non-linear terms with vanishing toroidal and poloidal mode-numbers;
- in principle they have arbitrary radial length-scale.

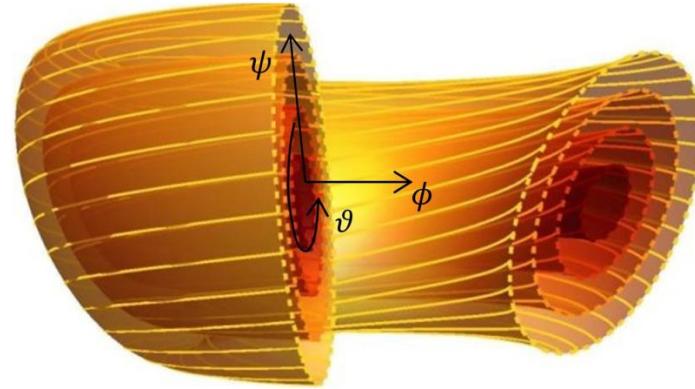
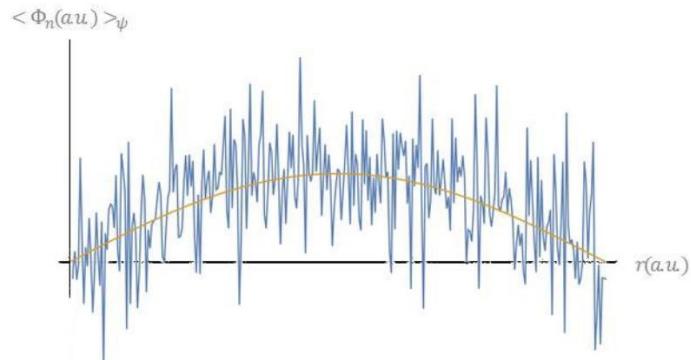


Figure: Courtesy of J. Ball



# WP1: theoretical framework

## Zonal structures & Zonal field structures

- Mode mode coupling between fluctuating fields can generate **toroidal symmetric structures in the density and temperature profiles unaffected by rapid collision-less dissipation**, i.e. Landau damping, called **zonal structures**;
- their counterpart for vector and scalar potentials are called **zonal field structures**, e.g.  $\delta E_r = -\nabla\psi\partial_\psi\delta\phi(\psi)$ .

## Phase space zonal structures (PSZS)

- fluctuations **collision-less** undamped in the phase space are called **phase space zonal structures** and they **importantly regulate turbulence saturation level** by scattering instability turbulence to shorter radial wavelength stable domain;
- they are coherent micro/meso-scale radial corrugations of the distribution function **Chen and Zonca 2016**. They are associated to **deviations from the local thermodynamic equilibrium** and thus they may **enhance collisional transport**.

# WP1: the importance of meso-scales

## Meso-scales on ITER ...

- peculiar feature of ITER: interplay of meso-scale structures with micro-scales generated by energetic particles, e.g.  $\rho_{LE} \sim (\rho_L L)^{1/2}$ ;
- unique role of energetic particles, which act as mediators between the micro- and the macro- scales;

## ... and DTT (Divertor Tokamak Test facility)

- $T_E/T_i \sim (4\rho*)^{-1} \Rightarrow \rho_{LE} \sim (\rho_L L)^{1/2}$  with dimensionless parameters close to ITER;
- using minority heating by ICRH and/or NBI, cross-scale couplings should be similar;
- need for transport equations for the mesoscales extending previous analysis;
- non Maxwellian distribution functions must be taken into account, i.e. phase space transport;
- meso-scales do not emerge only due to EP physics, e.g. ITBs, L-H transitions;
- derivation based on the theory of Phase space zonal structures, see Zonca et al. 2015a; Chen and Zonca 2016; Falessi and Zonca 2019;

# WP1: theoretical framework

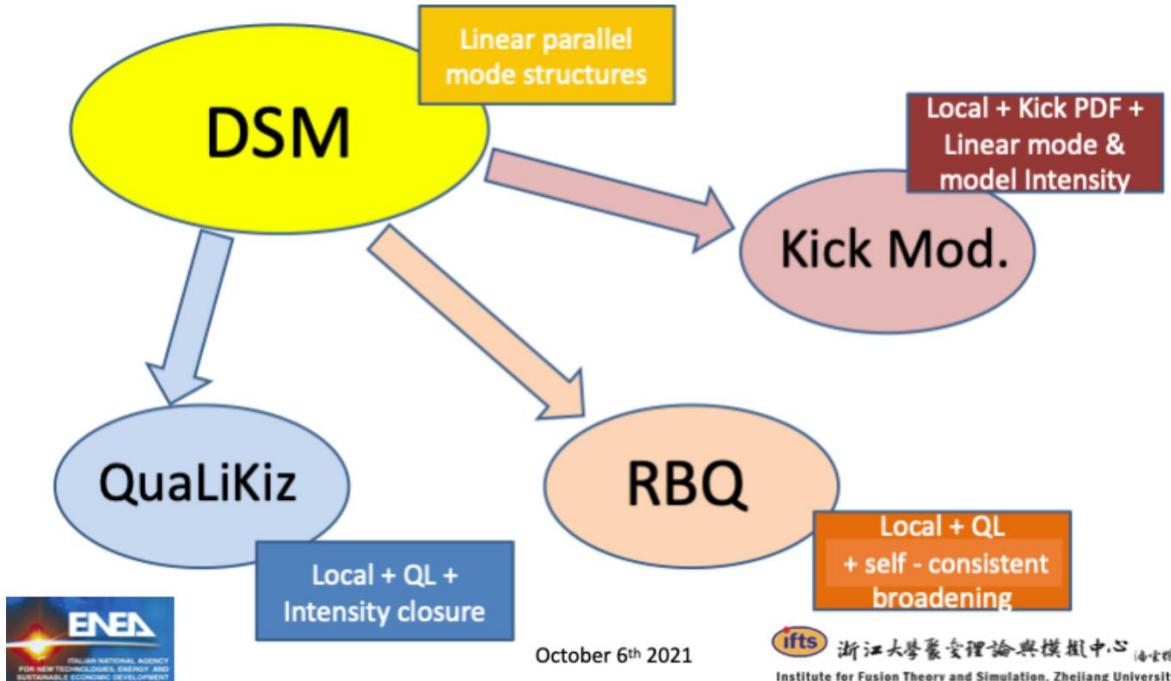
- explicit expression of EP fluxes in PSZS equations have been calculated within the following hierarchy of simplifying assumptions:
- the zeroth level of simplification consist in the gyrokinetics description of plasma dynamics;
- the first level of simplification consist in assuming  $|\omega| \gg \tau_{NL}^{-1} \sim \gamma_L$ ;
- the second and final level of simplification is the Quasilinear model.

# WP1: DSM model

## Dyson Schrödinger Model IV

CNPS 27

**Recovering QL limit:** ... for a broad spectrum



- DSM is 'superset' of various models presently used in community
- describe EP dynamics on transport time scales with general GK transport theory
- applicability beyond local, QL and intensity closure models
- crucial new element [M. Falessi et al, 2016-2020, recent invited talk at Varenna Theory meeting]: introduce concept of long-lived formations in the particle phase space (PSZS); separate from fast fluctuating contributions
- accounting in particular for meso-scales introduced by EPs

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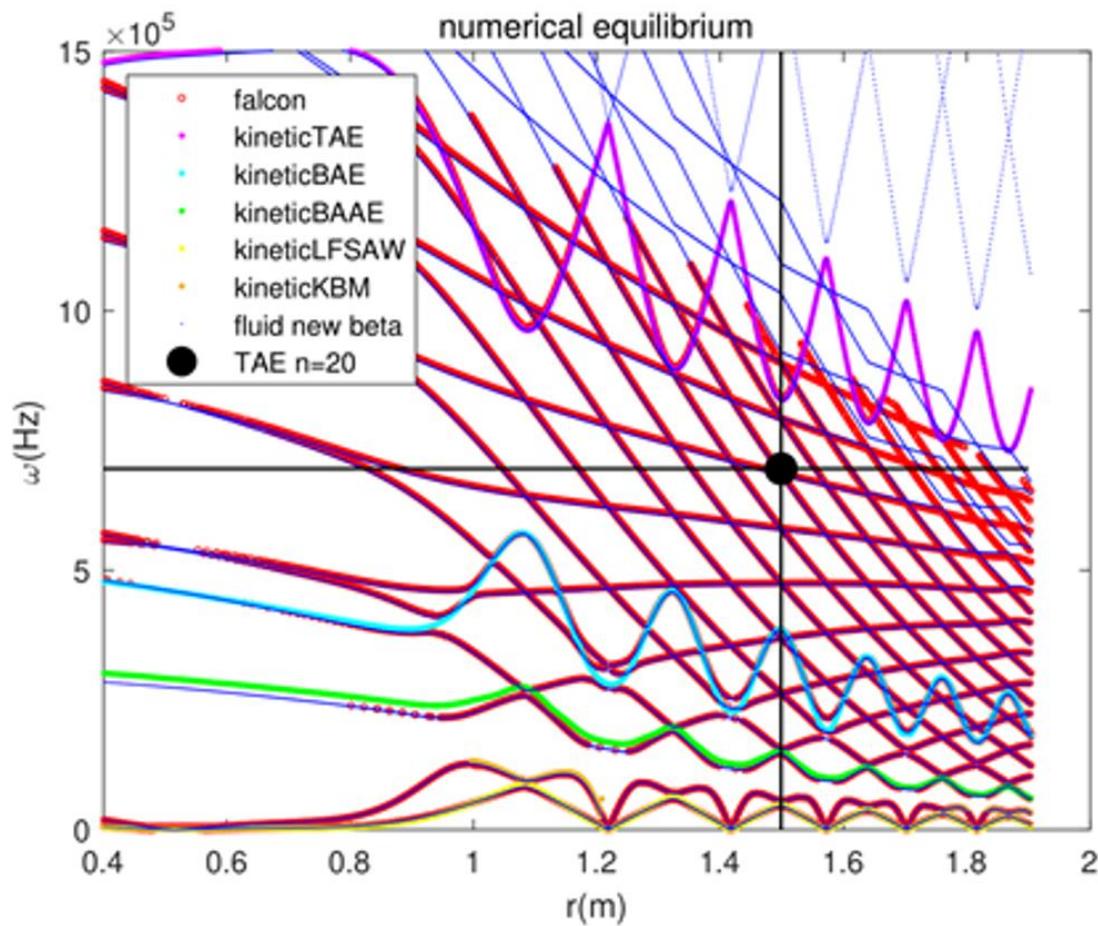
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## WP2: DAEPS

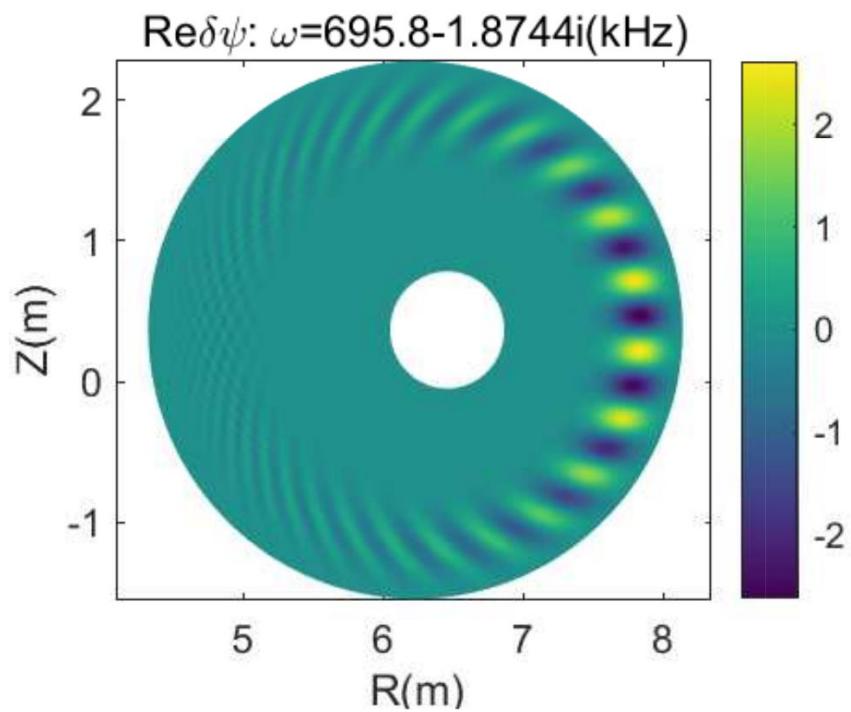
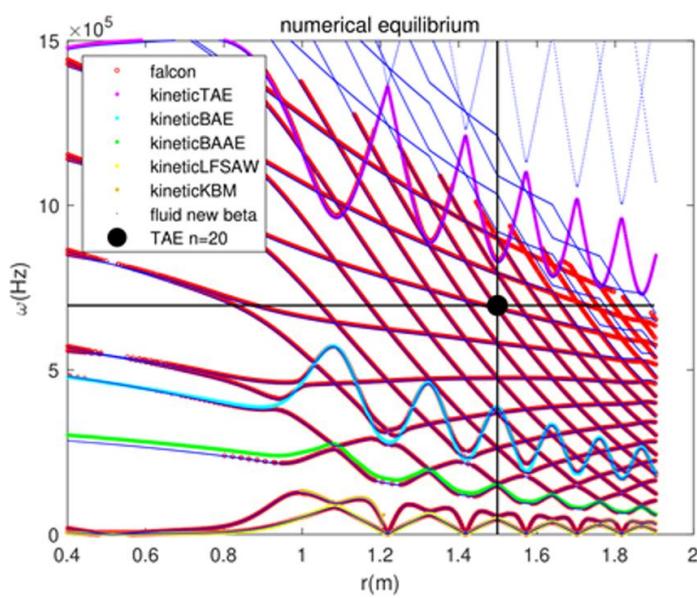
$$\left[ \frac{\partial^2}{\partial \vartheta^2} - \left( \frac{\partial_y^2 \hat{k}_\perp^2}{2 \hat{k}_\perp^2} - \frac{(\partial_\vartheta \hat{k}_\perp^2)^2}{4 \hat{k}_\perp^4} \right) + \frac{\omega^2 J^2 B_0^2}{v_A^2} - 8\pi J^2 \frac{\partial P_0}{\partial r} \right. \\ \left. \times \left( \frac{r B_0}{q \hat{k}_\perp d\psi/dr} \right) \left( \kappa_g \frac{\hat{k}_\perp \cdot \nabla \psi}{\hat{k}_\perp |\nabla \psi|} - \kappa_n \frac{r B_0}{q \hat{k}_\perp |\nabla \psi|} \right) \right] \hat{\phi}_{s0} = 0 \\ \hat{k}_\perp = \left[ \nabla r (s\vartheta - s\theta_k) + r \nabla \theta - \frac{r}{q} \nabla \zeta \right]$$

- $\kappa, |\nabla \psi|^2, J$  can be calculated by EQUIPE consistently with the different level of approximation;
- Possibility of parametric scans, e.g. in triangularity, elongation...
- the resulting TAE frequency will be compared with MARS;
- DAEPS governing equations are similar but more convoluted.

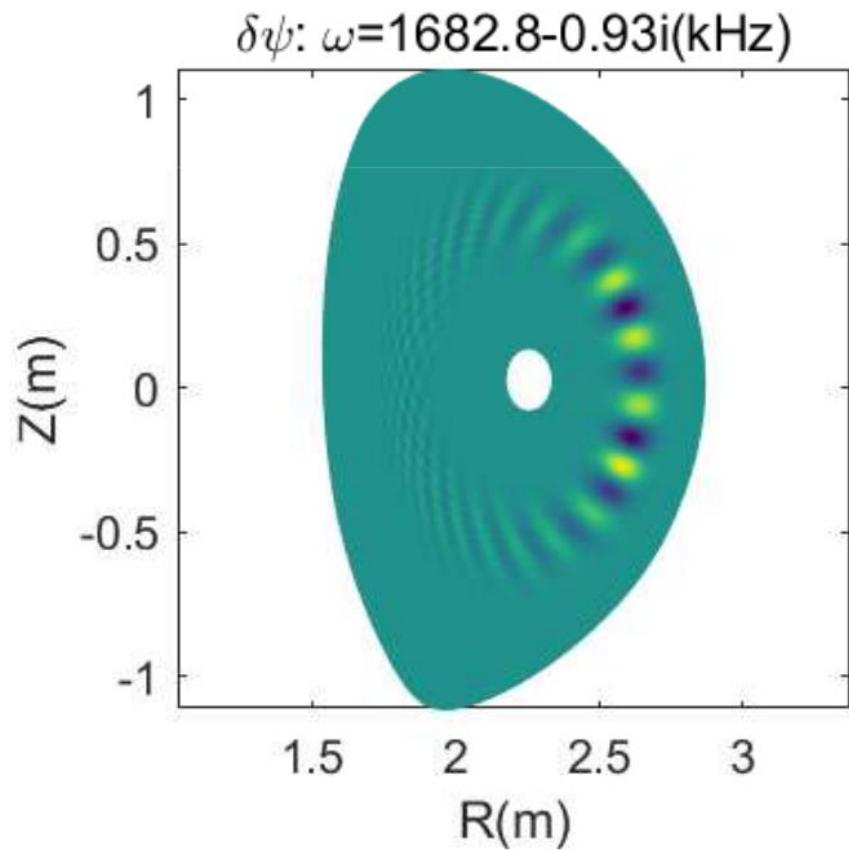
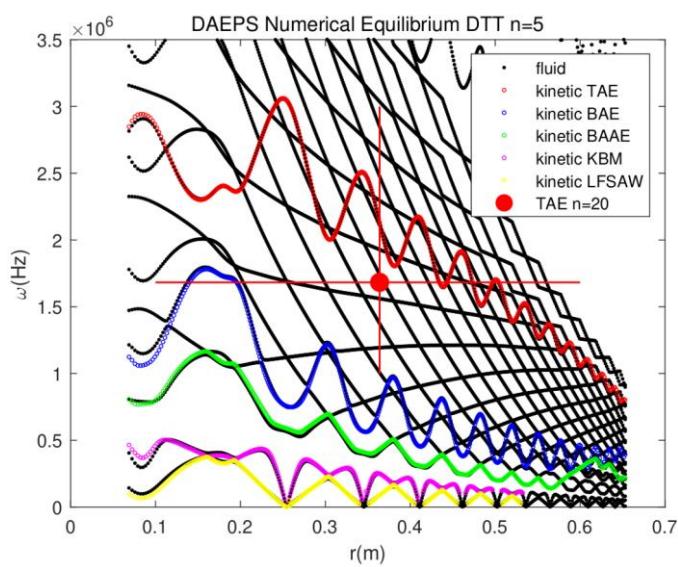
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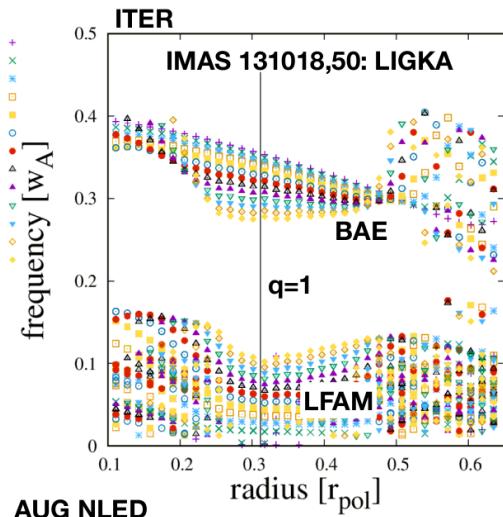


# WP2: DAEPS - LIGKA - FALCON codes

## WP2.1-D1 (2021)

DAEPS in general tokamak geometry: **minor possible delay** (3PMs for Y.Y. Liu in 2021); continuum spectrum in realistic geometry ready due to administration/travel restrictions **to be absorbed in early 2022**

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n=8 pt 3 ps 3  
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n=14 pt 3 ps 3  
n=17 pt 3 ps 3  
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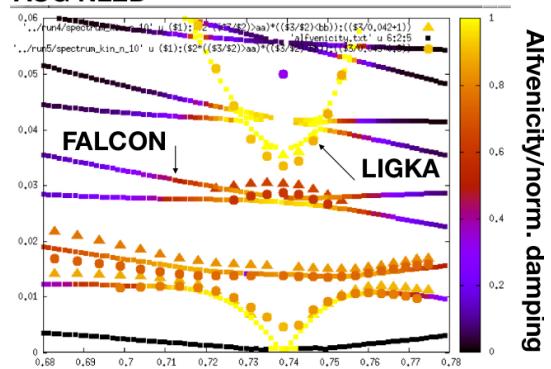


## WP2.1-M1 (2022)

Benchmark of DAEPS in general toroidal geometry against reduced local LIGKA analysis

Status:

- 3 cases chosen: AUG NLED, ITER 131018,50, ITER 131018,50 in circular geometry, equilibria/profiles prepared
- first LIGKA results available, DAEPS runs started
- successful benchmark of LIGKA and FALCON (ENEA) on NLED case
- **trapped particle part in 2022, as expected**



# WP2: Linear Codes in 3d geometry

## **WP 2.3 Extension to 3d geometry/ phase space zonal structures in stellarators**

identified new set of action-angle variables for perturbed quasihelically symmetric stellarators and tokamaks

presently investigating how to extend the present analysis to omnigenous stellarators

**presentation:** Joint CNPS - DTT MHD&Theory series on Friday, October 29th

<https://www.afs.enea.it/zonca/CNPS/Activities/meetings.html>

**local 3d solver:** started: checked passing orbits expressions - similar to CAS3D-K, 2022 milestone expected to be reached

# Work Packages

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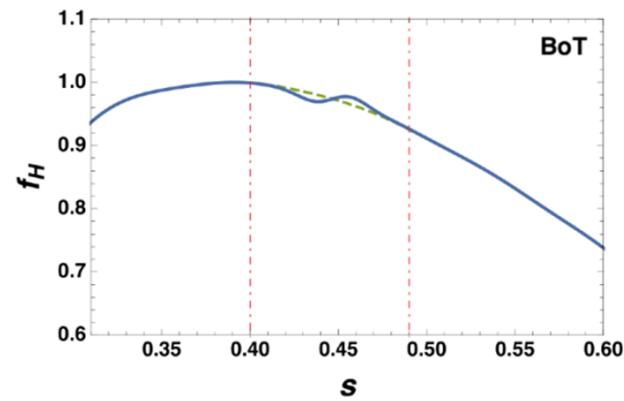
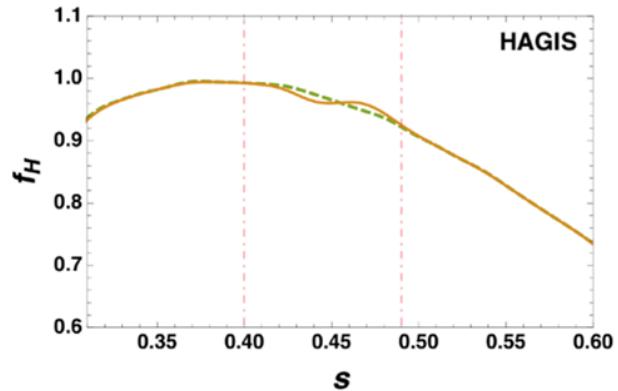
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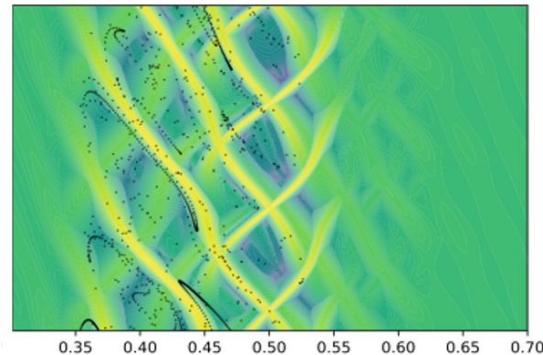
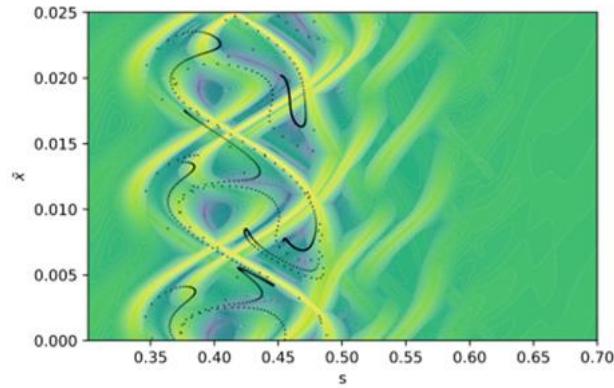
## WP3.1: 1d reduced transport model

- Partition of phase space into regions of constant  $\mu$  (magnetic momentum) and  $\mathcal{C} = \omega P_\varphi - nE$
- Decompose plasma into different slices and estimate the corresponding weight related to the global/reduce wave-particle power exchange: evolution of the most resonant slice (maximization of the power exchange)



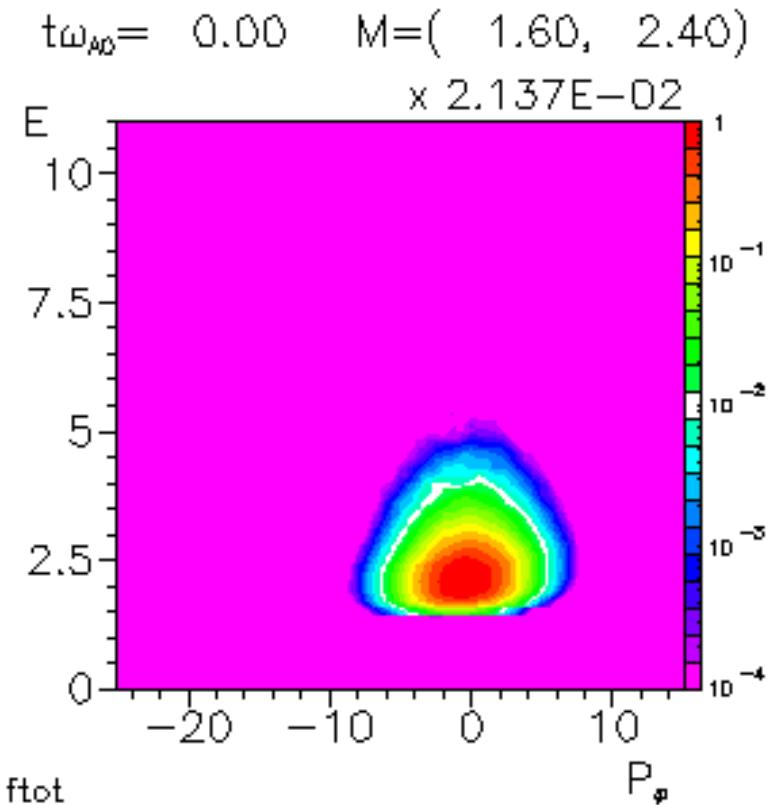
## WP3.2: Diffusive transport vs coherent structures

- Tracers' dynamics studied with Lagrangian Coherent structures(Finite Time Lyapunov Exponent): definition of transport barriers. Relevant structures/barriers related to the second peak in the late dynamics
- probability density functions for radial displacements of tracer particles as dictated by the various EP transport models



## WP3.3-6: Hybrid kinetic MHD codes for verification and validation

- PSZS have been extracted from an EPM simulation by the HMGC hybrid code, i.e. see Briguglio et al. 1995, and more recently by HYMAGIC;
- the same calculations have been carried out also within HAGIS and ORB5
- realistic NNBI distribution function are calculated by RABBIT code



$$\frac{\partial}{\partial t} \overline{F_{z0}} + \frac{1}{\tau_b} \left[ \frac{\partial}{\partial P_\phi} \overline{(\tau_b \delta \dot{P}_\phi \delta F)} + \frac{\partial}{\partial \mathcal{E}} \overline{(\tau_b \delta \dot{\mathcal{E}} \delta F)}_z \right]_S = 0$$

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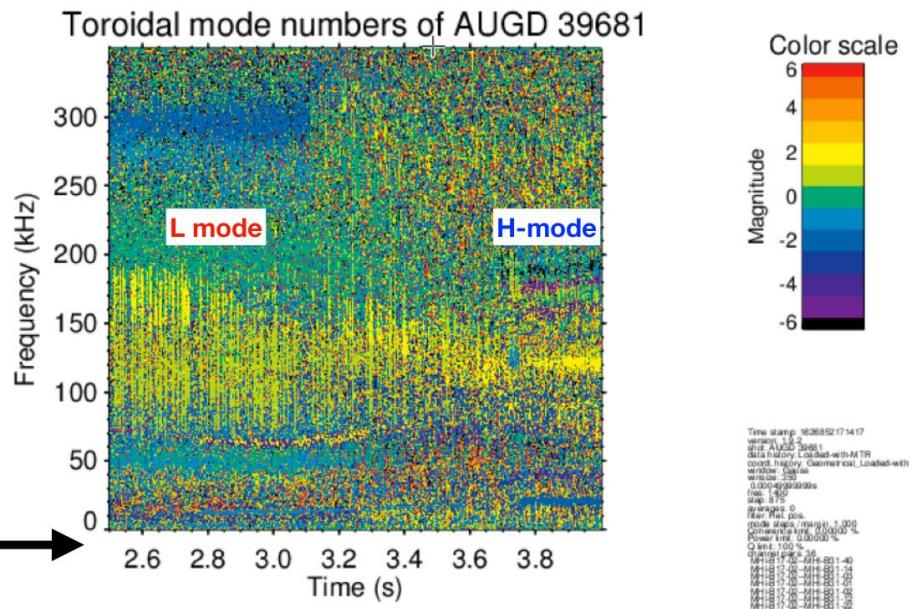
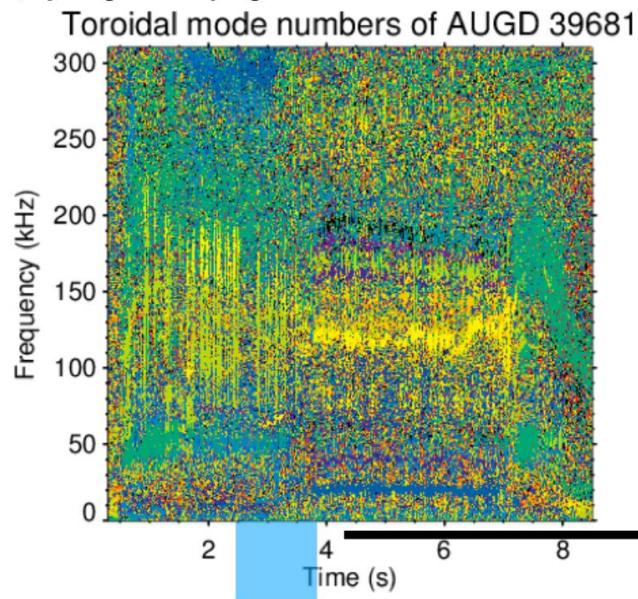
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# WP 4: Clear transition between EP transport regimes

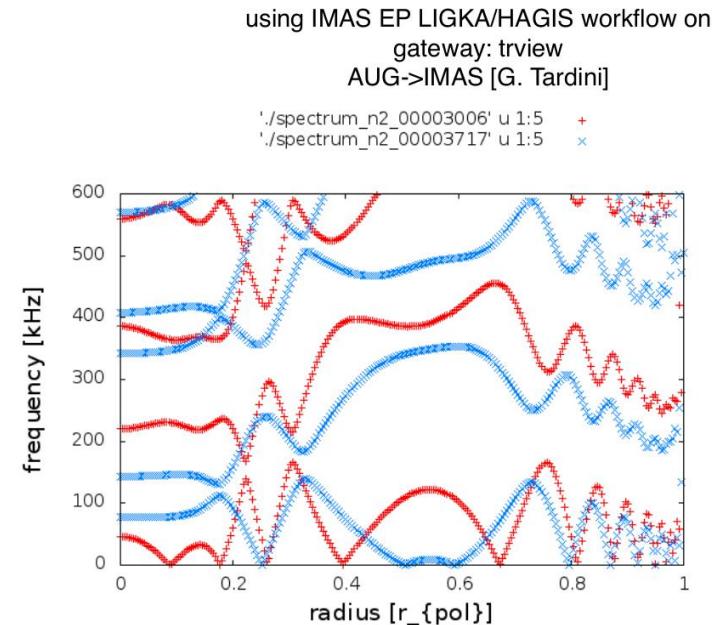
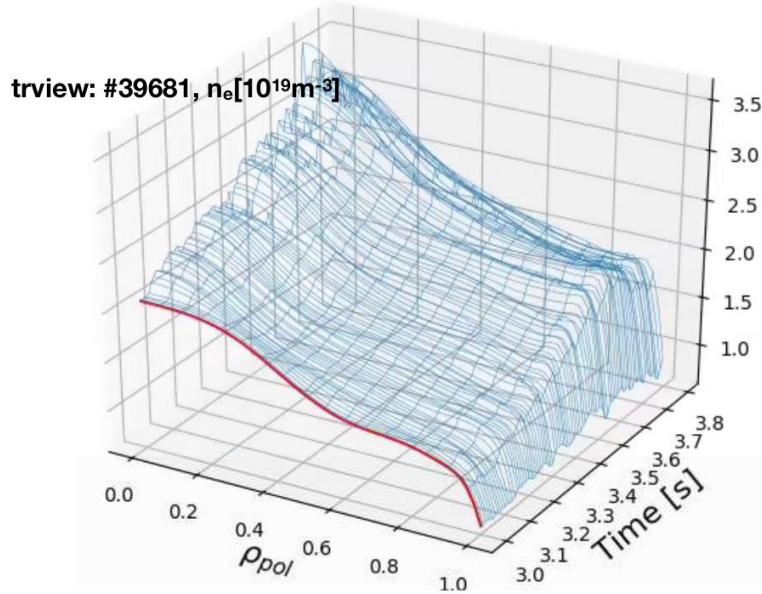
July 2021, hydrogen campaign



- slow L-H transition with constant heating power in the presence of strong EP activity (very rare on AUG)
- L-mode activity very similar to NLED base case (EGAM/BAE/TAE intermittent crashes, #31213) - but now in flat top phase with transport analysis possible!
- automated analysis on Gateway now working in python (libraries, IMAS versions, AL versions,...)
- new experiments accepted for AUG He campaign in summer 2022

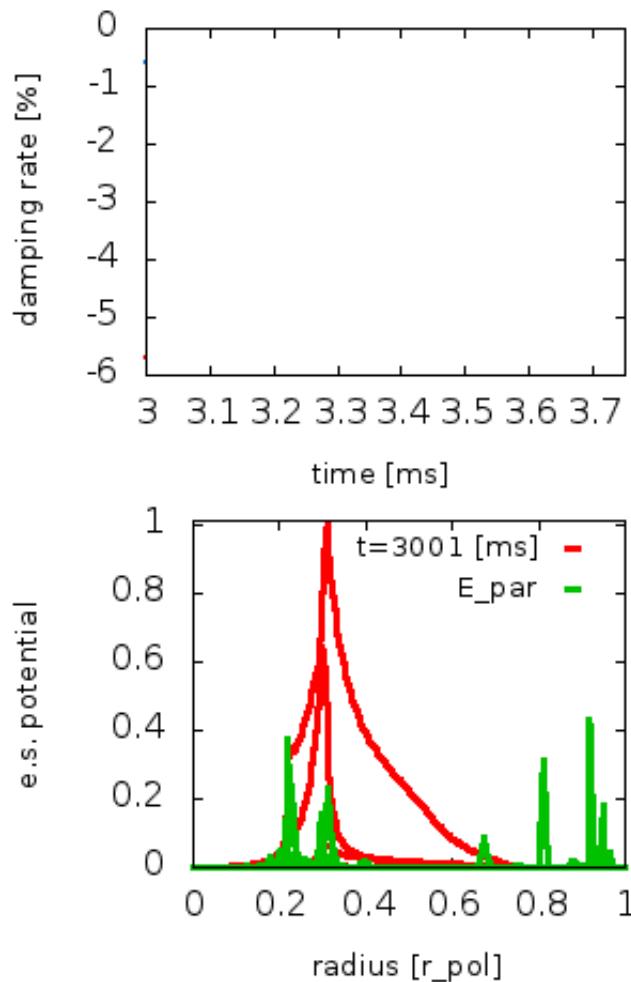
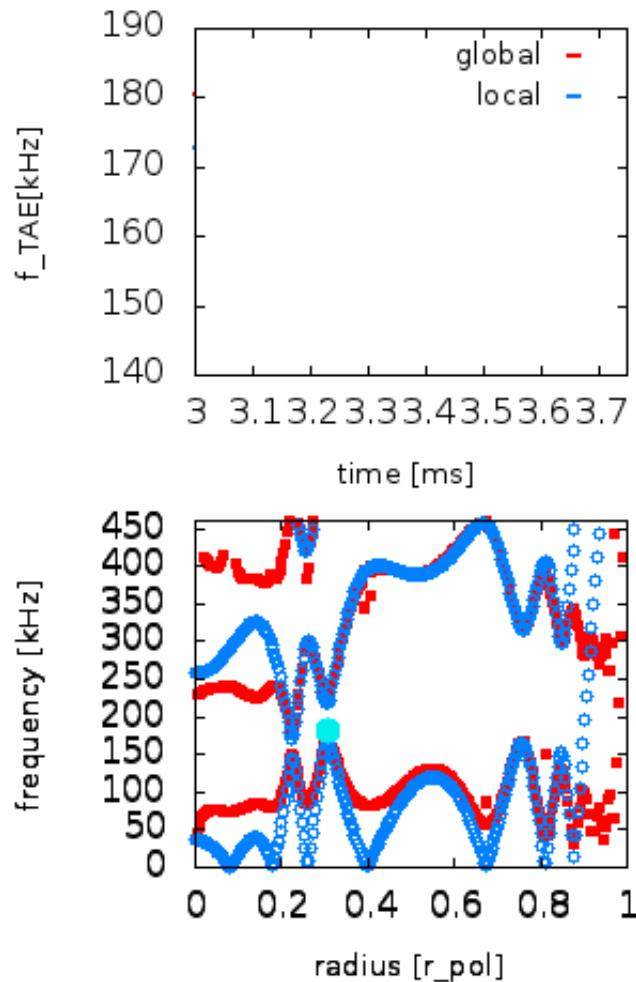
# WP 4: Clear transition between EP transport regime

July 2021



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## WP4: an example



**Thanks for your attention!**

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