

# Magnetic reconnection studies @ISC-Torino

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The Plasma Unit of the Institute of Complex Systems of the CNR at the Politecnico di Torino focuses on the theoretical and numerical analysis of magnetic reconnection processes in plasmas of interest for both space and fusion applications. In particular, we study the fundamental processes that govern the interaction between magnetic reconnection and fluid turbulence [1,2], the instability of plasmoids in a turbulent plasma [3], the control of magnetic islands [4] and reconnection instabilities driven by runaway electrons in a post-disruption plasma [5]. Here, we present the main results achieved so far and outline our ongoing activities.

## Collisionless model for Magnetic Reconnection

$$\frac{\partial \nabla_{\perp}^2 \varphi}{\partial t} = -[\varphi, \nabla_{\perp}^2 \varphi] + \frac{2}{\beta_e} [\psi, \nabla_{\perp}^2 \psi] + \frac{2}{\beta_e} \frac{\partial \nabla_{\perp}^2 \psi}{\partial z}$$

$$\frac{\partial F}{\partial t} = -[\varphi, F] - 3[\psi, \nabla_{\perp}^2 \varphi] + \frac{\partial \varphi}{\partial z} - 3 \frac{\partial \nabla_{\perp}^2 \varphi}{\partial z}$$

$$\mathbf{B} = \nabla \psi \times \hat{z} + \hat{z} \quad F = \psi - \frac{(2\delta^2)}{\beta_e} \nabla_{\perp}^2 \psi$$

$$\beta_e = 8\pi n_0 T_e / B_0^2 \quad \delta = \sqrt{(m_e/m_i)}$$

### Perturbation

$$J_{pert} = J_0 \sqrt{\frac{2}{\pi d_e^2}} \cos(k_y y + k_z z) e^{-\frac{(x-x_0)^2}{4d_e^2}} + 10^{-5} J_0 \Delta \Phi(y, z)$$

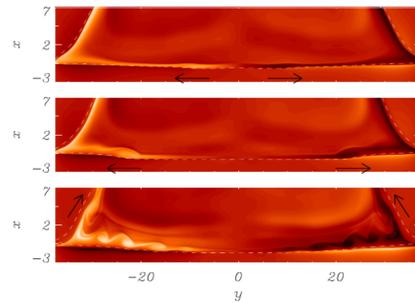
### 2D/Single helicity

defined by a fixed ratio of  $k_z/k_y$  and  $\Delta \Phi = 0$

### 3D/Multiple helicity

defined by multiple  $k_z$  and  $k_y$  and  $\Delta \Phi \neq 0$

## Problem relevant to astrophysical plasmas close to the magnetosphere (Burch, Science 2016)



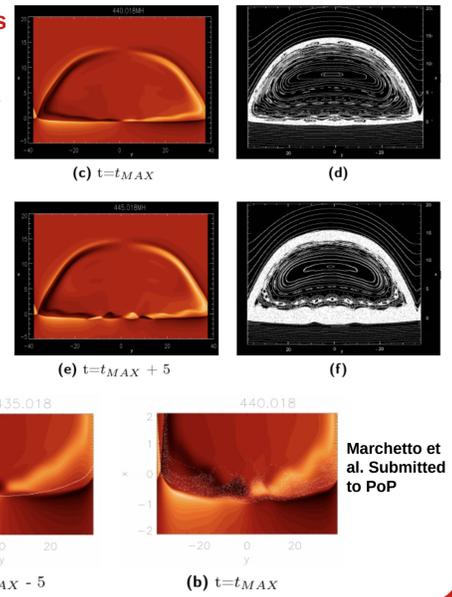
Grasso et al. PoP 27, 012302 (2020)

Developing of Kelvin-Helmholtz (fluid turbulence) on the edge of a 2D asymmetric magnetic island. Similar structures have been observed also in gyrokinetic simulations of reconnection in fusion plasmas (Widmer, PoP 2025)

## 3D Results

KH and MR develop at the same time.

Magnetic field line follow turbulent and magnetic flows



Marchetto et al. Submitted to PoP

## Collisionless model for 2D turbulence

$$\frac{\partial \psi}{\partial t} + [\varphi, \psi] = -d_e^2 \frac{\partial J}{\partial t} - d_e^2 [\varphi, J] - \eta(J - J_{eq})$$

$$\frac{\partial U}{\partial t} + [\varphi, U] = [J, \psi] + \nu \nabla^2 U \quad \mathbf{v} = \mathbf{e}_z \times \nabla \varphi$$

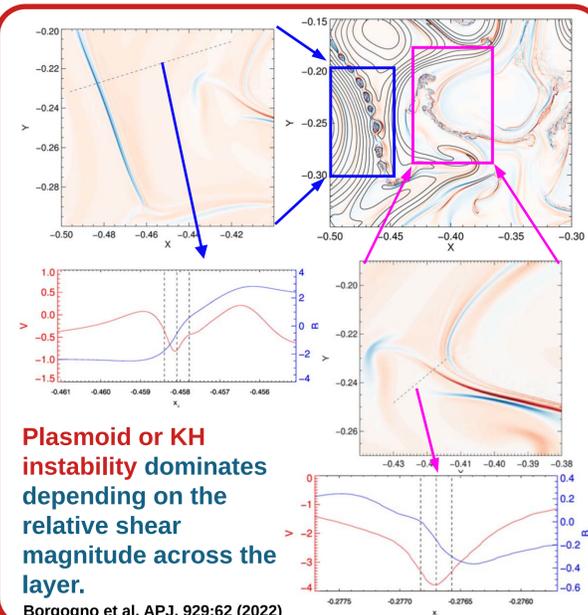
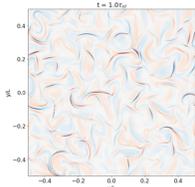
$$J = -\nabla^2 \psi \quad U = \nabla^2 \varphi \quad \mathbf{B} = B_0 \mathbf{e}_z + \nabla \psi \times \mathbf{e}_z$$

### Perturbation for a freely decaying turbulence

$$\psi = -\sum \psi_{0mn} \sin(k_m x + \xi_{1mn}) \sin(k_n y + \xi_{2mn})$$

$$\varphi = \sum \varphi_{0mn} \sin(k_m x + \xi_{3mn}) \sin(k_n y + \xi_{4mn})$$

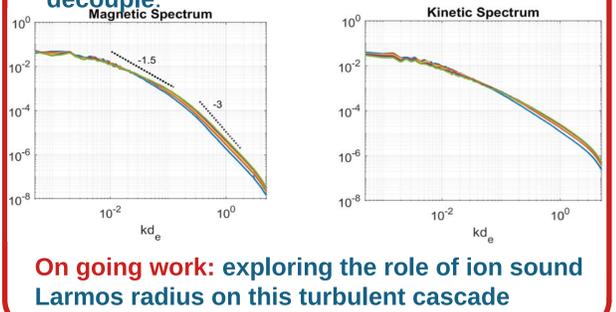
The early dynamics leads to the formation of thin and elongated current and vorticity sheets. They evolve according to plasmoid or KH instability.



Plasmoid or KH instability dominates depending on the relative shear magnitude across the layer.

Borgogno et al. APJ, 929:62 (2022)

Plasmoids are accompanied by the generation of small scale current and vorticity structures leading to large turbulent regions where coherent magnetic structures disappear. As a consequence magnetic and kinetic spectrum decouple.



On going work: exploring the role of ion sound Larmor radius on this turbulent cascade

## Model for runaway current driven magnetic reconnection

$$\frac{\partial \psi}{\partial t} + [\varphi, \psi] + \eta(J - J_{RE}) + \frac{\partial \varphi}{\partial z} + \rho_s \frac{\partial U}{\partial z} = 0$$

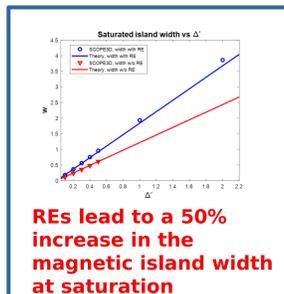
$$\frac{\partial U}{\partial t} + [\varphi, U] - [J, \psi] - \frac{\partial J}{\partial z} = 0 \quad J = -\nabla_{\perp}^2 \psi, \quad U = \nabla_{\perp}^2 \varphi$$

$$\frac{\partial J_{RE}}{\partial t} + [\varphi, J_{RE}] + \frac{c}{v_A} \left( [\psi, J_{RE}] - \frac{\partial J_{RE}}{\partial z} \right) = 0 \quad \text{Helander et al. PoP (2007)}$$

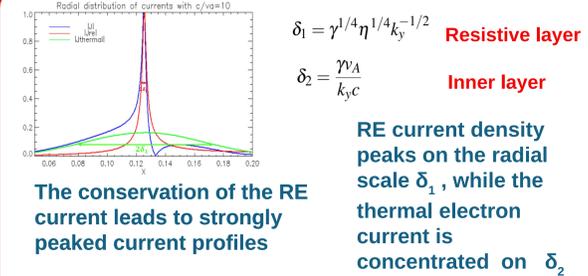
### SH Linear results

$$\frac{\gamma^{5/4}}{\eta^{3/4} k_y^{1/2}} \frac{2\pi \Gamma(3/4)}{\Gamma(1/4)} = \Delta' - i\pi \frac{k_y J_{RE}'}{|k_y|}$$

Weak influence of the runaway electron current on the linear growth rate which follows the FKR growth Poloidal rotation frequency of the magnetic island proportional to the REs profile



REs lead to a 50% increase in the magnetic island width at saturation



$$\delta_1 = \gamma^{1/4} \eta^{1/4} k_y^{-1/2} \quad \text{Resistive layer}$$

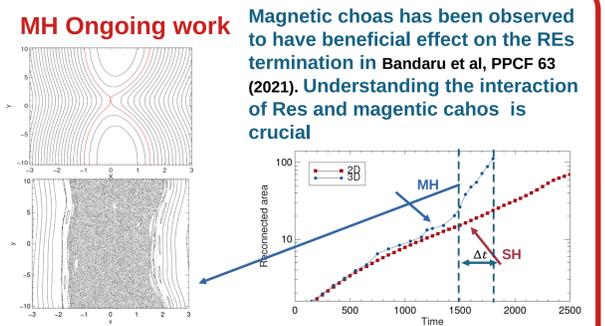
$$\delta_2 = \frac{\gamma v_A}{k_y c} \quad \text{Inner layer}$$

The conservation of the RE current leads to strongly peaked current profiles

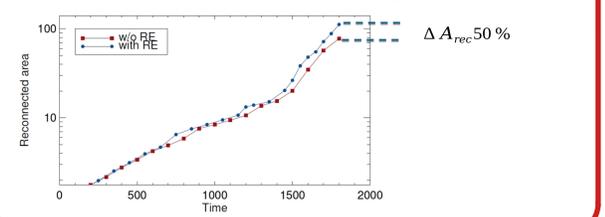
### SH Nonlinear results

RE become nonlinear when the magnetic island width  $w$  is comparable with  $\delta_2$ , while thermal electrons when  $w \sim \delta_1$

Singh et al. PoP 30, 12114 (2023)



Transition from local to global stochasticity in  $\Delta t \sim 300 \mu s$ , in agreement with Bandaru



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